

Standard 3 Practice Quiz A

MA 109

Print Your Name: Solutions ID: _____

Be sure that the ID number above is your correct 8-digit student ID number (without the leading 9). If this number is incorrect or not legible, it will take longer to process your score on this quiz.

This is practice for an in-class assessments on Standard 3. The only technology allowed during this quiz is a 4-function calculator. No notes or books may be used. This is an individual quiz, so any work done here must be entirely your own work.

Show all of your work. Your work will be graded on both accuracy and completeness, and partial credit is possible. You have 20 minutes to take this quiz.

Be sure to complete both the questions on this page and those on the back of this page.

- Find the domain of each function below. Write your answer **using interval notation** in the answer box.

a. $f(x) = \frac{1}{\sqrt{3-5x}}$ **square root in denominator**

$3-5x > 0$
 $-5x > -3$
 $\frac{-5x}{-5} > \frac{-3}{-5}$
 $x < \frac{3}{5}$ **flip direction**

Answer:
 $(-\infty, \frac{3}{5})$

b. $g(x) = \frac{1}{3-5x}$ **variable in denominator**

problem at: $3-5x = 0$
 $-5x = -3$
 $\frac{-5x}{-5} = \frac{-3}{-5}$
 $x = \frac{3}{5}$ **domain is everything else**

Answer:
 $(-\infty, \frac{3}{5}) \cup (\frac{3}{5}, \infty)$

c. $h(x) = \sqrt{3-5x}$ **square root**

$3-5x \geq 0$
 $-5x \geq -3$
 $\frac{-5x}{-5} \geq \frac{-3}{-5}$ **divide by negative, so flip sign**
 $x \leq \frac{3}{5}$

Answer:
 $(-\infty, \frac{3}{5}]$

2. Suppose $f(x)$ is the original function and $g(x)$ is the transformed function. For each $g(x)$ below, mark **all** of the transformations that took $f(x)$ to $g(x)$. Fill in the boxes for your answers.

a. $g(x) = -f(x + 5)$

- Shift up
- Shift down
- Shift left
- Shift right
- Vertical stretch
- Vertical compression
- Horizontal stretch
- Horizontal compression
- Vertical reflection over the x -axis
- Horizontal reflection over the y -axis

vertical flip
horizontal shift ← left

$-f(x+5)$

b. $g(x) = f\left(-\frac{x}{7}\right)$

- Shift up
- Shift down
- Shift left
- Shift right
- Vertical stretch
- Vertical compression
- Horizontal stretch
- Horizontal compression
- Vertical reflection over the x -axis
- Horizontal reflection over the y -axis

horizontal flip

$f\left(-\frac{x}{7}\right)$

horizontal stretch

c. $g(x) = f(x + 1) - 3$

- Shift up
- Shift down
- Shift left
- Shift right
- Vertical stretch
- Vertical compression
- Horizontal stretch
- Horizontal compression
- Vertical reflection over the x -axis
- Horizontal reflection over the y -axis

vertical shift down

$f(x+1) - 3$

horizontal shift ← left